

Module 8.5: Review of Procedures Covered to this Point

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Consultant

Research and Statistical Support

UNT UNIVERSITY OF NORTH TEXAS
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Introduction to Statistics for the Social Sciences

RSS
Research and Statistical Support



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- Research question: Did this score come from this known population?

Research Design: Simple Z Test

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- Simple Z test is more than a *descriptive* but less than an *inferential* test.
 - Simply identifying a single score in a population distribution.
- Not really making an inference **about** a population.
- Just making a decision about a score's placement in a known population.
 - Known μ and σ

The Z Test with a Sample > 1 .

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The Z Test with a Sample > 1 .

Used to evaluate the probability of a sample mean being as extreme or more extreme than the mean associated with our cutoff (typically 0.05) on a distribution of means.

- Known: μ and σ
- Research question: Is this sample significantly different from the known population?
- Or: Did this sample come from the known population, or a different population?

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- No IV but there is a DV (the sample scores).
- But, the Z test with a sample mean *is* an inferential procedure.
- Using a sample ($n > 1$) to make an inference about population membership.
- The sample is *representative* of **a** population; we are attempting to determine if it belongs to the **known** population.
 - Known μ and σ

One Sample t Test

Used to evaluate the probability of a sample mean being as extreme or more extreme than the mean associated with our cutoff (typically 0.05) on the distribution of means (t distribution).

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- Or: Did this sample come from the known population or from a different population?

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- Using a sample ($n > 1$) to make an inference about population membership.
- The sample is *representative* of a population; we are attempting to determine if it belongs to the *partly known* population.
 - Known μ
 - Unknown σ (This is why t instead of Z.)

Dependent Samples t Test

Used to evaluate the probability of the difference between two *related* samples being as extreme or more extreme than the difference score associated with our cutoff (typically 0.05) on the distribution of difference scores (t distribution).

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- Research question: Are these two samples significantly different from one another (i.e. did the treatment have an effect)?

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- Research question: Are these two samples significantly different from one another (i.e. did the treatment have an effect)?
- Or: Did this sample of difference scores come from different population of difference scores?

Research Design: Dependent Samples t Test

- 1 IV (a treatment applied to all participants)

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Research Design: Dependent Samples t Test

- 1 IV (a treatment applied to all participants)
- 1 DV (an interval or ratio scaled variable to measure the difference)
- The Dependent Samples t Test is an inferential procedure.
- Using a sample ($n > 1$) of difference scores to make an inference about population difference score membership.
- The sample of difference scores are *representative* of a population; we are attempting to determine if the sample belongs to the **unknown** population.
 - Unknown μ (assumed to be 0)
 - Unknown σ

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- Unknown $\mu_1 \sigma_1 \mu_2 \sigma_2$
- Research question: Are these two samples significantly different from one another?
- Or: Did these two samples come from different populations?

Research Design: Independent Samples t Test

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- 1 IV or GV (grouping variable) with 2 groups.
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- The Independent Samples t Test is an inferential procedure.
- Using two independent samples (each representative of a population) to make an inference about the effectiveness of an intervention (aka. experimental manipulation). Or, using the data from the two samples to determine if they came from the same population.
 - Unknown $\mu_1 \mu_2$
 - Unknown $\sigma_1 \sigma_2$

Looking to ANOVA

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- **Good News:** As we move into ANOVA; no longer have to deal with all the *wonderful* intermediate steps of NHST (i.e. steps 2a, 2b, 2c, etc.). We simply use a couple of new ‘twists’ on degrees of freedom to determine our cutoff sample score on the comparison distribution (F distribution). But...step 4 (calculate the statistic) is complex.

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- **Good News:** As we move into ANOVA; no longer have to deal with all the *wonderful* intermediate steps of NHST (i.e. steps 2a, 2b, 2c, etc.). We simply use a couple of new 'twists' on degrees of freedom to determine our cutoff sample score on the comparison distribution (F distribution). But...step 4 (calculate the statistic) is complex.
- **Bad News:** The ANOVA grows from slightly more complex than the t test (1 or 2 groups) to extremely complex (> 2 groups). The ANOVA family of analyses begins with three groups and can accommodate any number of groups greater than 2.

One-way ANOVA

Used to evaluate the probability of the difference between > 2 unrelated samples being as extreme or more extreme than the difference associated with our cutoff (typically 0.05) on the distribution of means (F distribution).

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- Unknown: $\mu_1 \mu_2 \mu_3 \mu_4 \dots \mu_n$
- Unknown: $\sigma_1 \sigma_2 \sigma_3 \sigma_4 \dots \sigma_n$
- Research question: Are these > 2 samples significantly different from each other?
- Or: Did these > 2 samples come from different populations?

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- ANOVA is one of the most popular inferential analysis.
- Using > 2 independent samples (each representative of a population) to make an inference about the effectiveness of an intervention (aka. experimental manipulation). Or, using the data from > 2 samples to determine if they came from the same population (or at least one from a different population).
 - Unknown $\mu_1 \mu_2 \mu_3 \mu_4 \dots \mu_n$
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